

# Characterization of pressure-dependent sound absorption in perforated rigid-frame porous materials

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Materials Science and Technology

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# Context

## Classical open-pores foams

- Are commonly used for **sound absorption**

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- Are **not efficient in sub-wavelength regime**

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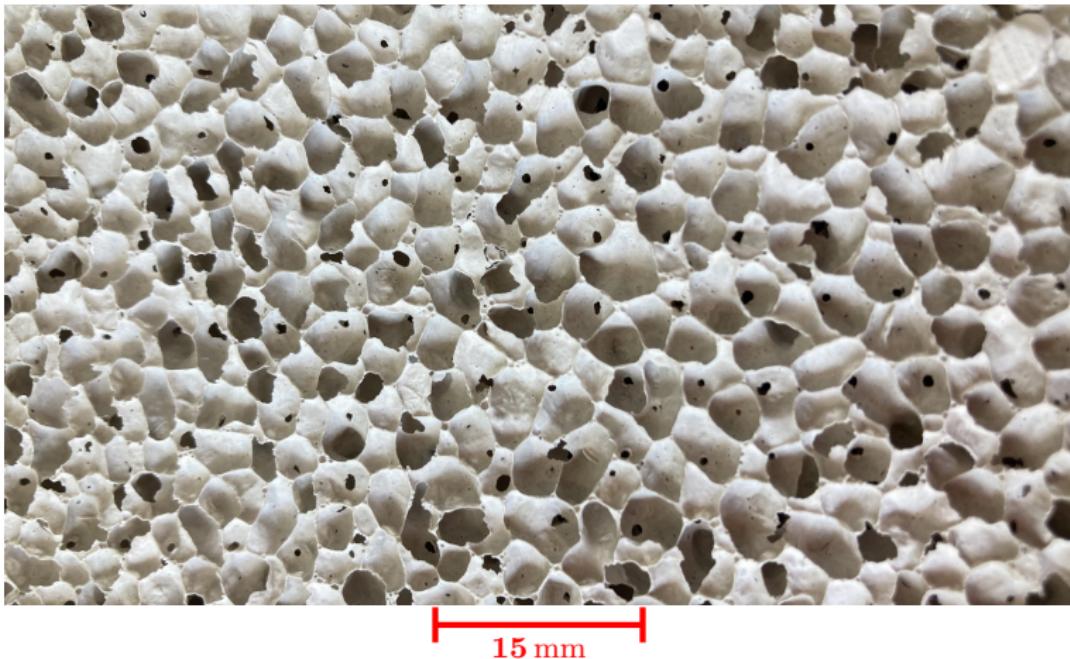
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## Perforated closed-pores mineral foams



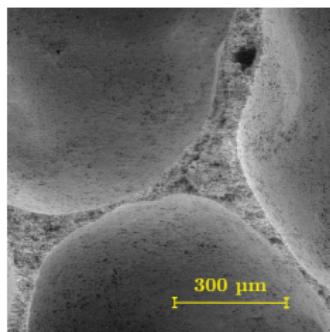
- Made of gypsum, cement, or ceramics
- Controlled porosity and wall thickness – patented by *de Cavis AG*
- Good thermal insulation/resilience properties

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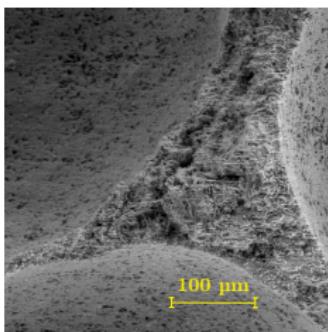


# Porosities at multiple scales

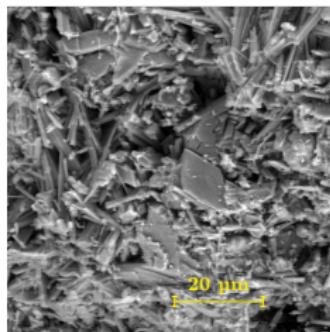
(a)



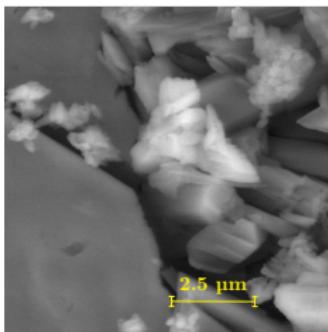
(b)



(c)



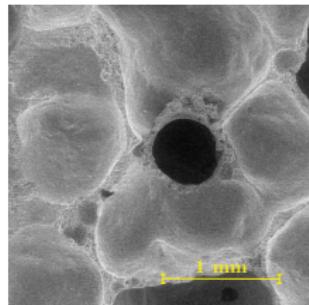
(d)



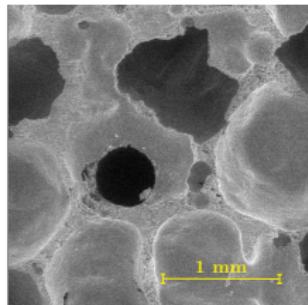
- Skeleton is assumed rigid
- Homogenisation theory is applicable
- Bulk modulus and mass density are complex

# Perforation in the pores

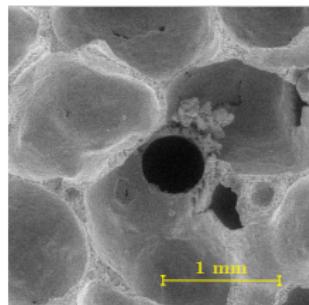
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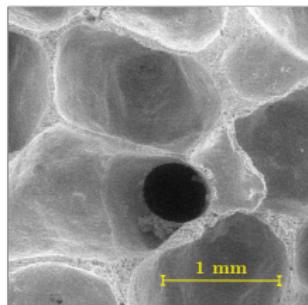
(b)



(c)

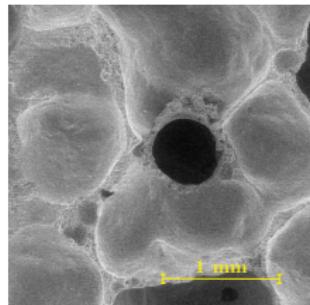


(d)

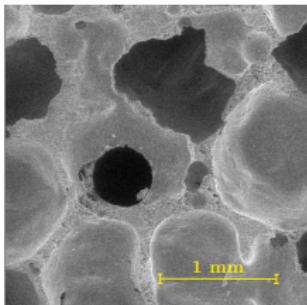


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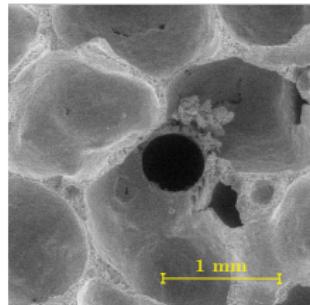
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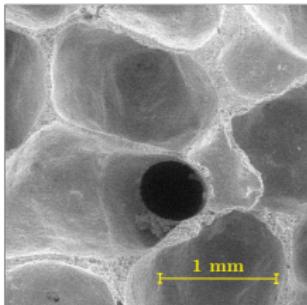
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# Tunable flow resistivity



## Measuring $\sigma$

- According to ISO 9053-1
- Measured on both sides
- Multiple *identical* samples tested

$$\text{Darcy's law: } \langle \mathbf{v} \rangle = -\frac{\mathbf{K}_0}{\eta} \nabla p$$

$$\text{Flow resistivity: } \sigma = \frac{\eta}{K_0}$$

# Tunable flow resistivity



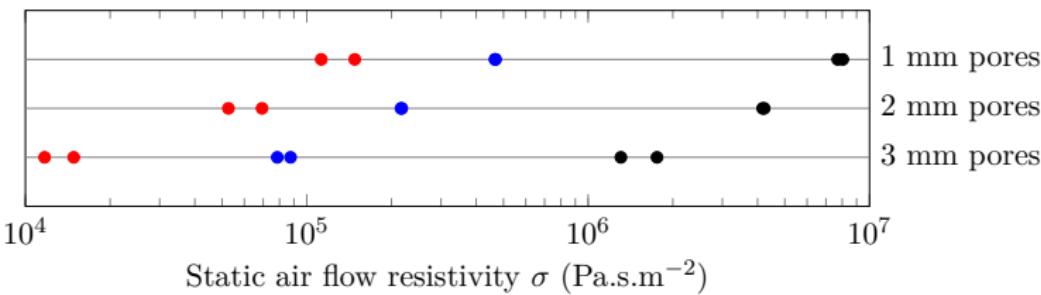
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- Non-perforated
- 10 mm-perforated
- 5 mm-perforated



# Sub-wavelength absorption



## Measuring acoustic absorption

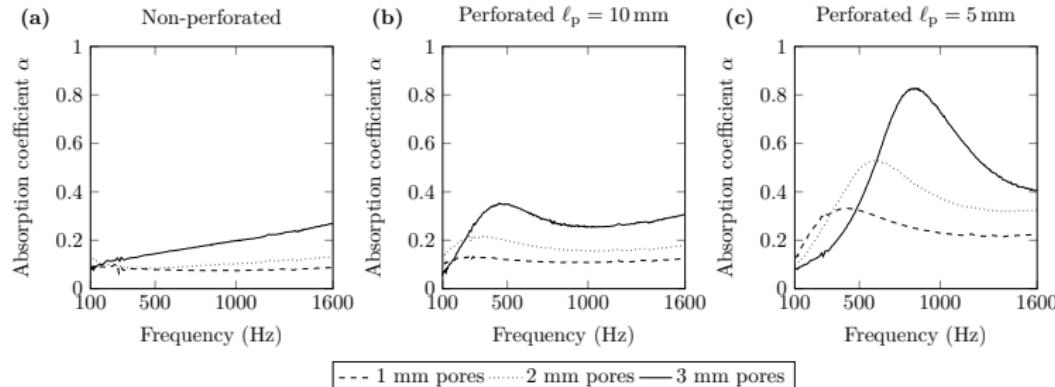
- According to ISO 10534-2
- Measured on both sides
- Multiple *identical* samples tested
- White noise excitation up to 1.6 kHz

# Sub-wavelength absorption



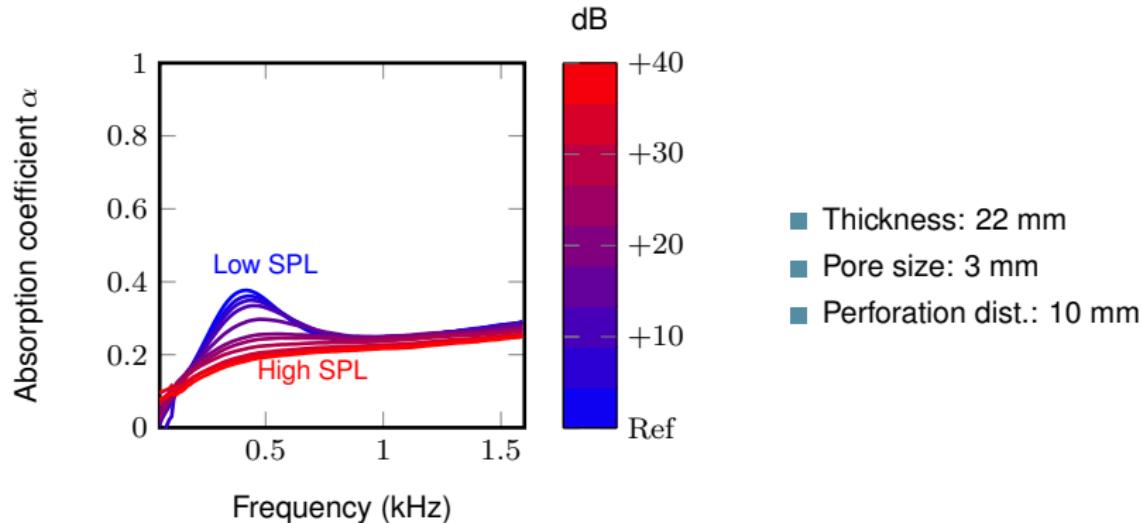
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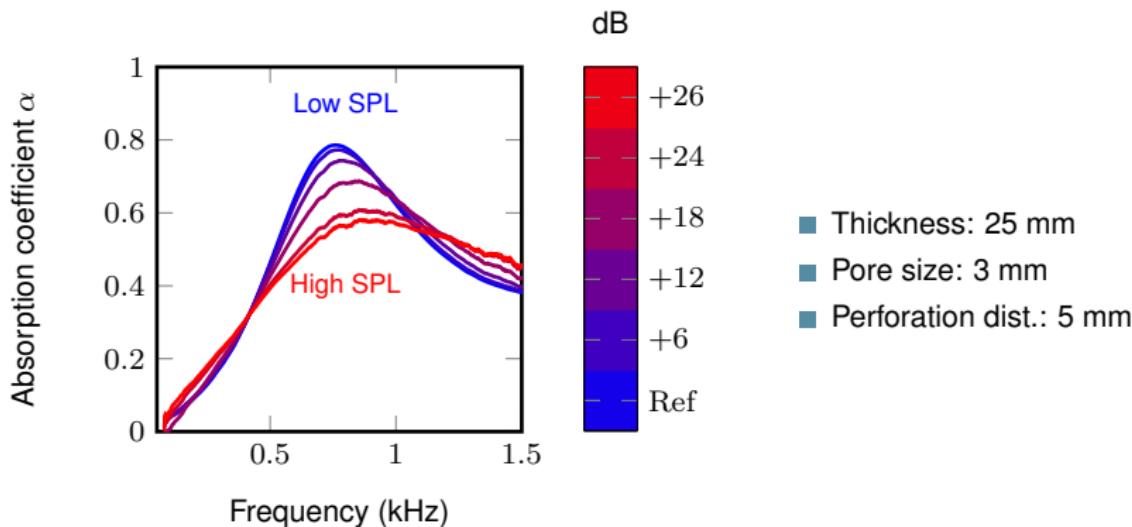
# Emergence of non-linearities at high SPL

Perforated structure are known to exhibit non-linearities



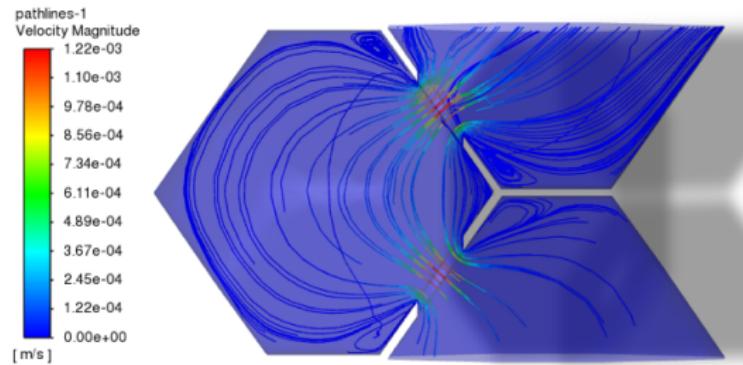
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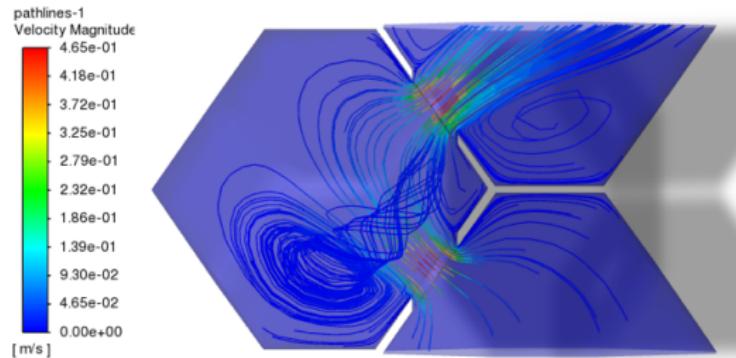
Increase of flow resistivity  $\sigma$  with pressure drop  $\nabla p$



Velocity magnitude and pathlines at  $\Delta p = 1 \text{ mPa}$  and  $\langle \mathbf{v} \cdot \mathbf{e}_z \rangle = 1.95 \times 10^{-5} \text{ m.s}^{-1}$ .

# Static regime

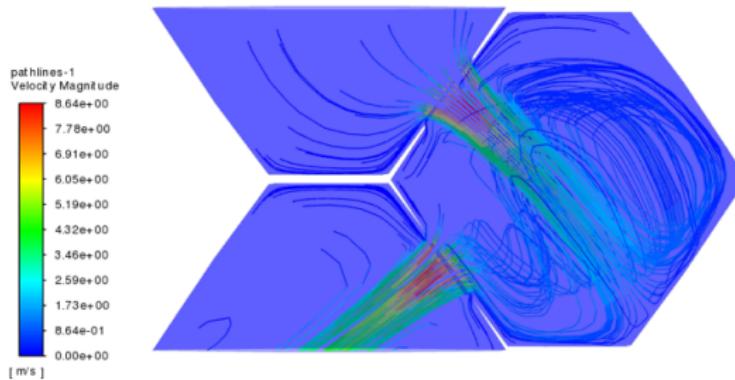
Increase of flow resistivity  $\sigma$  with pressure drop  $\nabla p$



Velocity magnitude and pathlines at  $\Delta p = 0.5 \text{ Pa}$  and  $\langle \mathbf{v} \cdot \mathbf{e}_z \rangle = 7.5 \times 10^{-3} \text{ m.s}^{-1}$ .

# Static regime

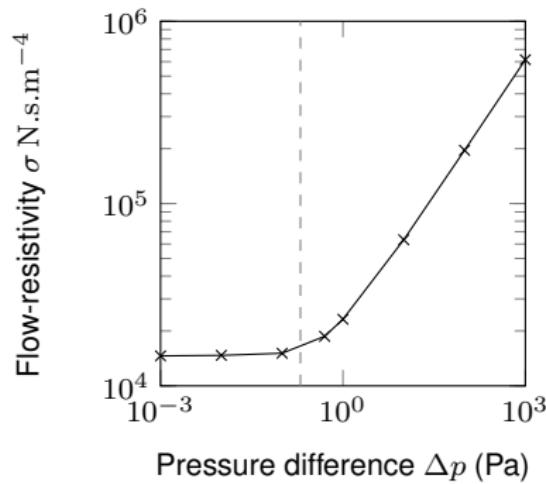
Increase of flow resistivity  $\sigma$  with pressure drop  $\nabla p$



Velocity magnitude and pathlines at  $\Delta p = 100 \text{ Pa}$  and  $\langle \mathbf{v} \cdot \mathbf{e}_z \rangle = 0.14 \text{ m.s}^{-1}$ .

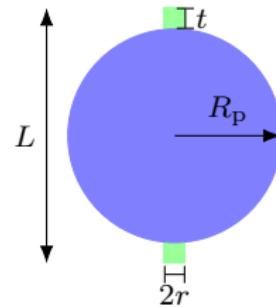
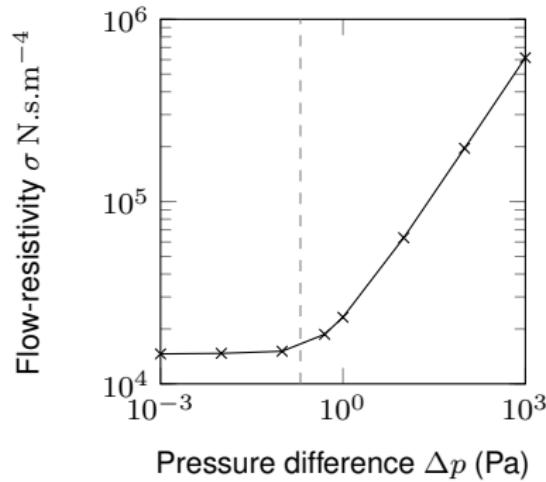
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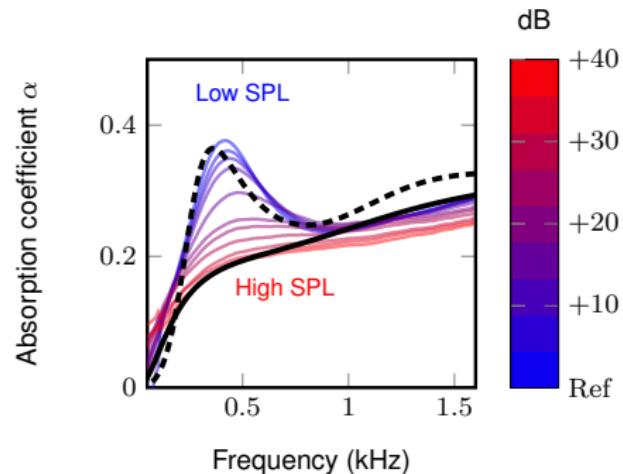


$$\text{Vol. flow: } Q_{\text{vol}} = \frac{\pi \Delta p r^4}{16 \mu t}$$

$$\text{Resistivity: } \sigma = 4\mu \frac{d^2}{\pi r^4} \frac{t}{R_p}$$

# Accounting for SPL-dependent flow resistivity

Assuming increasing flow-resistivity  $\sigma \rightarrow 10 \times \sigma$



This is observed numerically and described in the scientific literature

- Forchheimer empirical description of flow-resistivity
  - Low  $Re \rightarrow \sigma = f(Re^2)$  and high  $Re \rightarrow \sigma = f(Re)$
- Non-linear corrections to Darcy's law

# Conclusions and perspectives

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- Perforated closed-pores foams are **efficient for low-frequency absorption**
- Non-linearities are **present at high SPL**
- The perforated foams can be **adapted for extreme environments**

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## Perspectives:

- Perform **transmission measurements** on samples
- Investigate **Reynold's number** in the perforations
- **Link geometric parameters** to absorption performances
- Model linear and non-linear **resistance and reactance**

# Thank you for attending!



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